

## 1007 - Mathematically Hard

Mathematically some problems look hard. But with the help of the computer, some problems can be easily solvable.

In this problem, you will be given two integers **a** and **b**. You have to find the summation of the scores of the numbers from **a** to **b** (inclusive). The score of **a** number is defined as the following function.

**score (x) = n<sup>2</sup>**, where **n** is the number of relatively prime numbers with **x**, which are smaller than **x**

For example,

For 6, the relatively prime numbers with 6 are 1 and 5. So, score (6) = 2<sup>2</sup> = 4.

For 8, the relatively prime numbers with 8 are 1, 3, 5 and 7. So, score (8) = 4<sup>2</sup> = 16.

Now you have to solve this task.

### Input

Input starts with an integer **T** ( $\leq 10^5$ ), denoting the number of test cases.

Each case will contain two integers **a** and **b** ( $2 \leq a \leq b \leq 5 * 10^6$ ).

### Output

For each case, print the case number and the summation of all the scores from **a** to **b**.

Sample Input	Output for Sample Input
3	Case 1: 4
6 6	Case 2: 16
8 8	Case 3: 1237
2 20	

### Note

Euler's totient function  $\phi(n)$  applied to a positive integer **n** is defined to be the number of positive integers less than or equal to **n** that are relatively prime to **n**.  $\phi(n)$  is read "**phi of n**."

Given the general prime factorization of  $n = p_1^{e_1} p_2^{e_2} \cdots p_m^{e_m}$ , one can compute  $\phi(n)$  using the formula

$$\phi(n) = n \left(1 - \frac{1}{p_1}\right) \left(1 - \frac{1}{p_2}\right) \cdots \left(1 - \frac{1}{p_m}\right).$$